

The exercise numbering is identical to the book [Fok00].

3.1.1 Let the communication of two atomic actions from $\{a, b\}$ always result to c . Find the process graph that belongs to the process term

$$((ab)a) \parallel b.$$

Give the derivations of the transitions in this process graph from the transition rules of BPA with the merge operator.

3.4.2 Derive the process graphs of the following process terms:

- $\partial_{\{a\}}(ac)$;
- $\partial_{\{a\}}((a+b)c)$;
- $\partial_{\{c\}}((a+b)c)$;
- $\partial_{\{a,b\}}((ab) \parallel (ba))$ with $\gamma(a, b) = c$.

3.4.4 Prove from the transition rules that the process term in Example 3.4.1 displays the desired behaviour of the channel; that is, it executes either $comm(0)$ or $comm(1)$, after which it terminates successfully.

3.4.5 Let $\gamma(a, c) = \delta$ and $\gamma(b, c) = a$. Say for each of the following process terms whether it contains a deadlock:

- $\partial_{\{b\}}(ab+c)$;
- $\partial_{\{b\}}(a(b+c))$;
- $\partial_{\{b,c\}}(a(b+c))$;
- $\partial_{\{b\}}((ab) \parallel c)$;
- $\partial_{\{b,c\}}((ab) \parallel c)$.

B.5.1 Let a and b be constants. Say for each of the following pairs of TSSs T_0 and T_1 over signatures $\{a\}$ and $\{a, b\}$, respectively, whether $T_0 \oplus T_1$ is a conservative extension of T_0 . In cases where the extension is not conservative, give a transition of a that holds with respect to $T_0 \oplus T_1$ but not with respect to T_0 .

- \emptyset and \overline{aP}
- \overline{xP} and \overline{bQ}
- $\frac{xQ}{aP}$ and \overline{bQ}
- $\frac{xQ}{xP}$ and \overline{bQ}
- $\frac{c}{x \rightarrow y}$ and \emptyset
- \emptyset and $\overline{bQ} \frac{xQ}{xP}$